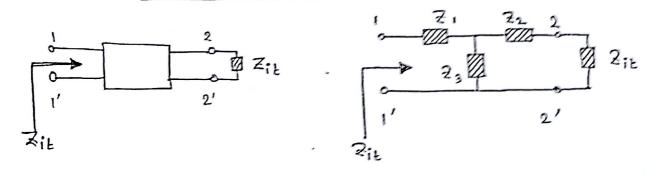
Iterative impedence =

Defination: The iterative impedance of a four-terminal interest is that impedance which when Connected network is that impedance of the network Produces to one pair of terminals of the network Produces a like impedance at the other pair of terminals. It is denoted by Zik.

@Derivation // expression of Zit 0=



det us consider a Tretuerre CA. with an impedence ?it Connected 202' and then between 101' terminal an impedence equal to 2:t will be produced.

Hence,
$$2_{it} = \left[2_i + \frac{2_3(2_{2t} 2_{it})}{2_{3t} 2_{2t} 2_{it}} \right]$$

or,
$$Z_{it}^{2} + Z_{it}Z_{2} + Z_{it}Z_{2} + Z_{it}Z_{3} = \frac{2_{1}z_{3} + 2_{1}z_{2} + 2_{1}z_{1t} + 2_{3}z_{3} + 2_{3}z_{1t}}{2}$$

or, $Z_{it}^{2} + Z_{it}(2_{2} - z_{1}) - (2_{1}z_{2} + 2_{2}z_{3} + z_{3}z_{1}) = 0$

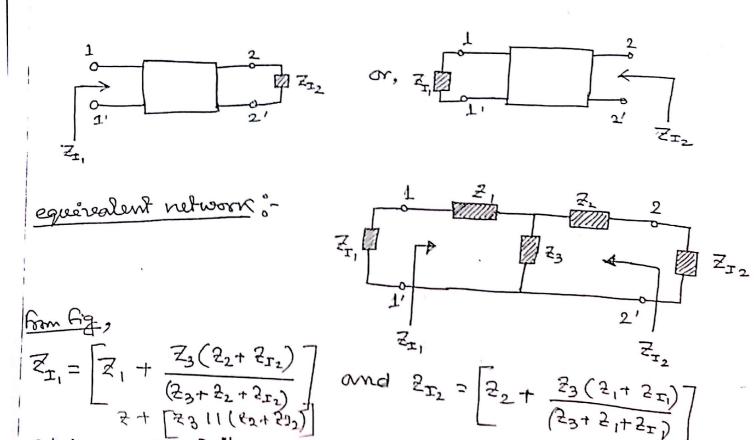
or, $Z_{it} = \frac{-(2_{2}-z_{1}) \pm \sqrt{(2_{2}-z_{1})^{2} + 42^{2}}}{2} = \frac{z_{1}z_{2} + z_{2}z_{1}z_{2}}{2}$

or, $Z_{it}^{2} = \frac{(2_{1}-z_{2})}{2} \pm \sqrt{(2_{1}-z_{2})^{2} + 42^{2}} = 0$

for symmetric T network:
$$\frac{2}{2} = \frac{2}{2}$$

Image Impedence :=

The image impedence pair of a four terminal linear network is seich a pair of impedences that a when, one impedence of the pair terminates the output, Post of the network the input impedance at the input port would be equal to the other impedence of the pair. The Reverse is also true. This pair is denoted by ZI, , ZIZ.



Solving we com write,

$$Z_{\pm_1} = \sqrt{\frac{Z_1 + Z_3}{Z_2 + Z_3}} \left(Z_1 Z_2 + Z_2 Z_3 + Z_3 Z_1 \right)$$
 and

$$Z_{I_2} = \sqrt{\left(\frac{Z_1 + Z_3}{Z_1 + Z_3}\right)\left(Z_1 Z_2 + Z_2 Z_3 + Z_3 Z_1\right)}$$

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For Symmetric Thetwork
$$Z_1 = Z_2$$
.

 $Z_1 = Z_{12} = (2_1 Z_2 + 2_2 Z_3 + 2_3 Z_1) = Z_1 Z_2$
 $Z_1 = Z_{12} = (2_1 Z_2 + 2_2 Z_3 + 2_3 Z_1) = Z_1 Z_2$
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 $Z_1 = Z_1 Z_2$
 $Z_1 = Z_$

This impedance is termed as characteristics impedence of Symmtric T-network. It is devoted by $\overline{Z}_0 = \left(\frac{2}{1}\overline{z}_2 + \overline{z}_1\overline{z}_3 + \overline{z}_3\overline{z}_1\right)$

@ Expression of EIGEIS intermoof 301, 251, 202 and 282 %-

$$\sum_{i=1}^{2} \frac{1}{2^{i}} = \sum_{i=1}^{2} \frac{1}$$

This are the expression for unknown network